# 1130 A Data-driven Scheme to Search for Alternative Composite Materials Michihiro Okuyama<sup>a)</sup>, Yukihito Nakazawa<sup>a)</sup> and Kimito Funatsu<sup>b)</sup>

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# 1. Introduction

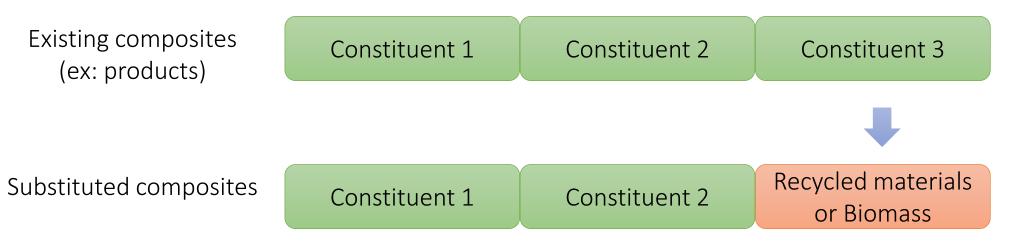
Realization of a sustainable society<br/>based on data and in-house technologyIncreasing problems that negatively affect the lives<br/>of future generationsOf future generationsOeforestationFood shortageOppulation<br/>growthOppulation<br/>growthMedical<br/>treatment

Solving the above problems through new technologies that combines data and in-house technology Initiatives to Achieve the Goal: Reduction of industrial waste (especially composite materials)

Solution

Development of composites substituted with recycled materials

and biomass.



- Numerous candidate combinations of constituents and addition ratios
- Extremely difficult to experiment across all candidates

Data-driven development is essential

## Obstacles to data-driven development of composite materials

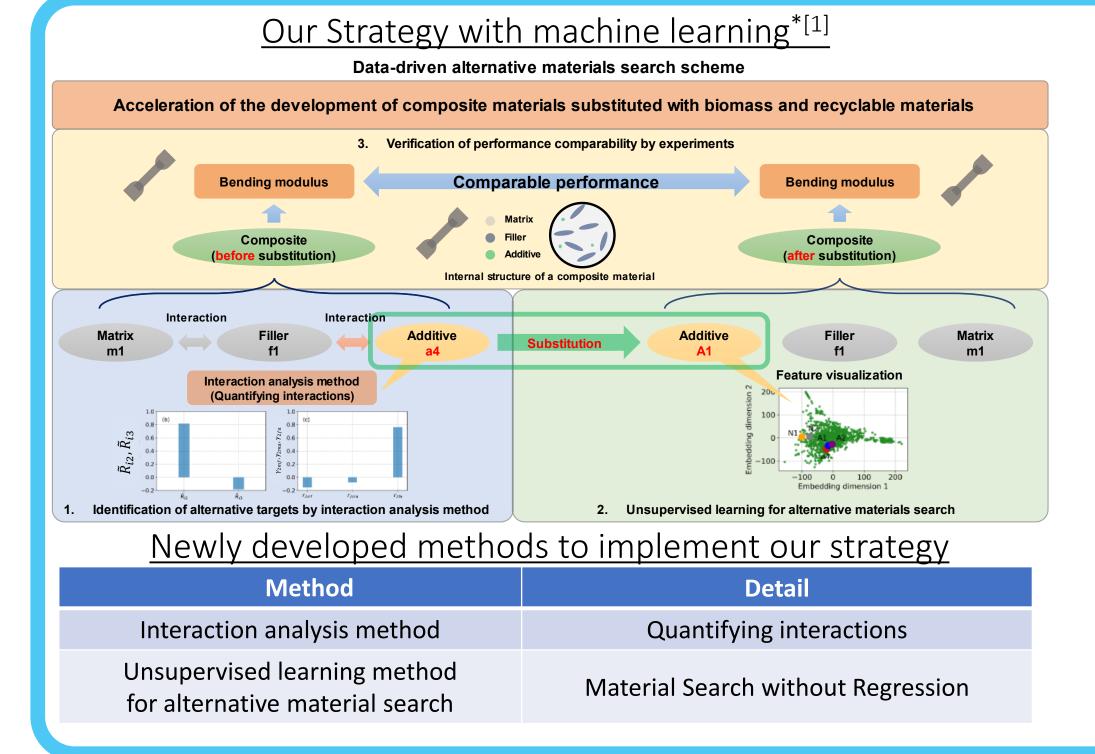
- Interactions between constituent materials
- Physicochemical properties of constituent materials are unknown
- Time-consuming to measure performance

## Issues to be solved

- A) Quantification of interactions
- B) Determination of alternative targets based on evaluation of interactions
- C) Material search based on unsupervised learning

Important to establish a data-driven materials exploration strategy that resolves A) - C)

# 2. Strategy and method



#### Interaction analysis method A) Quantification of interactions Left: 2-factor interaction $x_i^{n_i} x_i^{n_j} x_k^{n_k}$ Interaction Right: 3-factor interaction As an example, here, consider composite materials consisting of three constituents $\ln y = c_0 + \sum_i c_i x_i \qquad \begin{array}{l} y : \text{Performance (ex: Bending modulus)} \\ x_i : \text{Addition ratio of constituents} \end{array}$ Predictive model Brief definition of interaction indicators (I - IV) 1. Solve the predictive model for y $y_{\alpha} = \mathcal{A}e^{c_{m_{\alpha}}x_{m_{\alpha}}}e^{c_{f_{\alpha}}x_{f_{\alpha}}}e^{c_{a_{\alpha}}x_{a_{\alpha}}}$ $\mathcal{A} = e^{c_0}$ 2. McLaurin expansion $y_{\alpha} = \mathcal{A} \sum_{n_m, n_f, n_a=0}^{\infty} \left( \frac{c_{m_{\alpha}}^{n_{m_{\alpha}}} c_{f_{\alpha}}^{n_{f_{\alpha}}} c_{a_{\alpha}}^{n_{a_{\alpha}}}}{n_{m_{\alpha}}! n_{f_{\alpha}}! n_{a_{\alpha}}!} \right) x_{m_{\alpha}}^{n_{m_{\alpha}}} x_{f_{\alpha}}^{n_{f_{\alpha}}} x_{a_{\alpha}}^{n_{a_{\alpha}}}$ Interaction The following equation is used $\sum_{n=1}^{\infty} \frac{1}{n!} e^n x^n = e^{cx} - 1$ 3. Separate each interaction and transform the equation into a computable form $y_{\alpha} = \mathcal{A} \{ 1 + c_{m_{\alpha}} x_{m_{\alpha}} + c_{f_{\alpha}} x_{f_{\alpha}} + c_{a_{\alpha}} x_{a_{\alpha}} \qquad \tilde{\mathcal{Y}}_{l}$ $\widetilde{\mathcal{Y}}_{n_1}$ $+(e^{c_{m_{\alpha}}x_{m_{\alpha}}}-1)+(e^{c_{f_{\alpha}}x_{f_{\alpha}}}-1)+(e^{c_{a_{\alpha}}x_{a_{\alpha}}}-1)-c_{m_{\alpha}}x_{m_{\alpha}}-c_{f_{\alpha}}x_{f_{\alpha}}-c_{a_{\alpha}}x_{a_{\alpha}}$ $+(e^{c_{m_{\alpha}}x_{m_{\alpha}}}-1)(e^{c_{f_{\alpha}}x_{f_{\alpha}}}-1)+(e^{c_{m_{\alpha}}x_{m_{\alpha}}}-1)(e^{c_{a_{\alpha}}x_{a_{\alpha}}}-1)+(e^{c_{f_{\alpha}}x_{f_{\alpha}}}-1)(e^{c_{a_{\alpha}}x_{a_{\alpha}}}-1)$ $+(e^{c_{m_{\alpha}}x_{m_{\alpha}}}-1)(e^{c_{f_{\alpha}}x_{f_{\alpha}}}-1)(e^{c_{a_{\alpha}}x_{a_{\alpha}}}-1)\}$ $\tilde{y}_{n_3}$ $\tilde{y}_{n_2}$

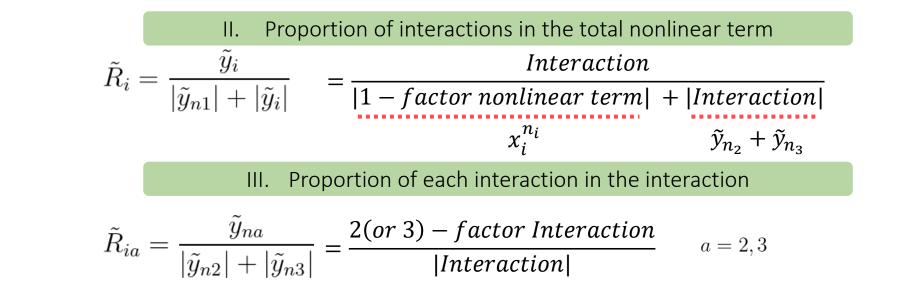
#### 4. Definition of an indicator of interaction based on the formula in 3.

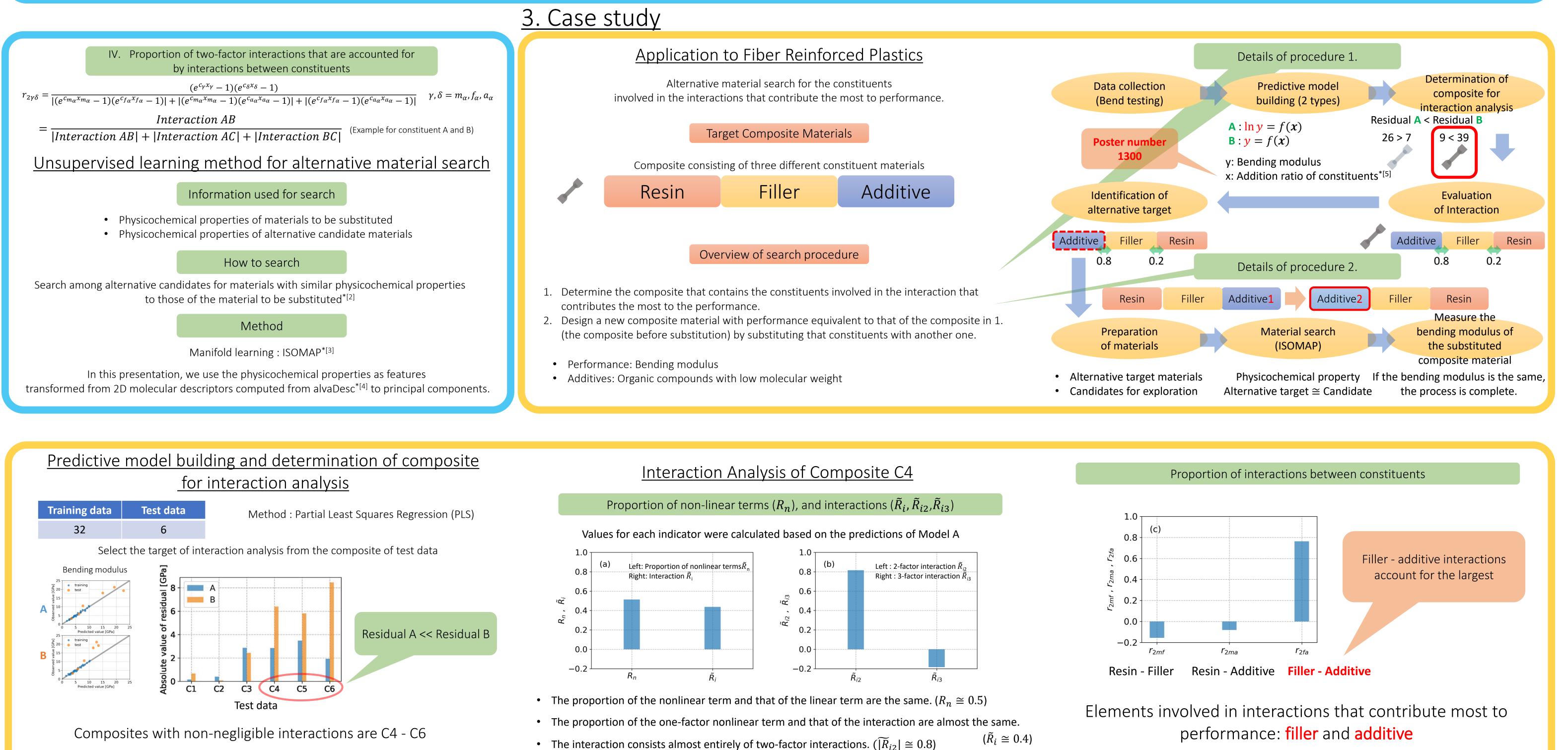
I. Proportion of nonlinear terms among linear and nonlinear terms  $R_n = \frac{\tilde{y}_n}{|\tilde{y}_n| + |\tilde{y}_l|} = \frac{Nonlinear term}{|Linear term| + |Nonlinear term|}$   $\tilde{y}_n = \tilde{y}_{n1} + \tilde{y}_{n2} + \tilde{y}_{n3} \quad \tilde{y}_l = c_{m_\alpha} x_{m_\alpha} + c_{f_\alpha} x_{f_\alpha} + c_{a_\alpha} x_{a_\alpha}$ a.  $|R_n|$ : Proportion of the nonlinear term among the linear and nonlinear terms

**b.**  $R_n > 0$ : Contributes to increasing performance

*c.*  $R_n <= 0$  : Contributes to lowering performance

We defined the remaining three indicators with properties a. – c. (The indicators, I - IV are used to quantitatively evaluate the interaction between the constituents.)





In this case, we chose C4 as the target of analysis for the interaction analysis method.

The interaction that contributes the most to the bending modulus is the 2-factor interaction.

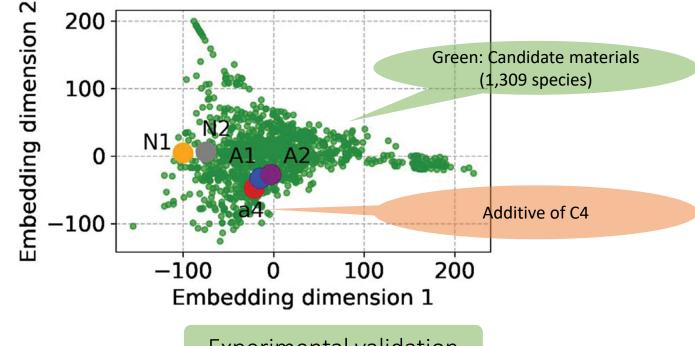
In this study, we will search for constituents that can substitute for additives of known chemical structure.

#### <u>Unsupervised learning method for alternative material search</u>

Search using ISOMAP

The following compounds were selected as experimental candidates:

- Compounds most similar to a4 features (A1, A2)
- Compounds not similar to a4 (N1, N2)



#### Experimental validation

- Bending modulus of A1 and A2 is equivalent to that of a4.
- Bending modulus of N1 and N2 are significantly different from a4

Input for ISOMAP: Principal components converted from AlvaDesc 2D molecular descriptors (3,885)
Candidate materials: Organic compounds with molecular weights of 100 - 900 in TCI<sup>\*[6]</sup>

<u>Results of bending test</u>				
Unit : GPa	$\Delta$ : Absolute difference between bending modulus of 1 - 4 and C4			
Composite	Additive	Similarity to a4	Bending modulus	Δ
C4	a4	-	17.89	0.0
1	A1	Similar	18.51	0.62
2	A2	Similar	18.80	0.91
3	N1	Not similar	20.10	2.21
4	N2	Not similar	12.86	5.03
(experimental value)				
The bending modulus of C4 is value close to that of C4				

By substituting the additive before substitution with an additive similar to the a4 feature, the bending modulus was obtained equivalent to that of the composite before the substitution.

As a result, this method is expected to be useful in the search for alternative materials for composite materials.

## 4. Summary and References

#### <u>Summary</u>

Develop a data-driven scheme to develop new composite materials with performance equivalent to that before substitution.

- Interaction Analysis Method
- Unsupervised learning alternative material search scheme including the above methods

The usefulness of this method was confirmed by applying it to a composite consisting of three materials: resin, filler, and additive.

- Search for alternative materials for the constituent (additive) involved in the interaction that contributes the most to the performance.
- Verify that materials with similar features to those of the additive before the substitution have the same performance as the composite before the substitution.

#### <u>References</u>

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