

# Effect of Water Absorption on Time- and Temperature- Dependent Static Strength of Unidirectional CFRP Laminates

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The mechanical behavior of CFRP matrix resin exhibits time- and temperature-dependence, called viscoelastic behavior, not only above the glass transition temperature  $T_g$ , but also below  $T_g$ . Consequently, the mechanical behavior of CFRP presumably depends strongly on both time and temperature.

We have proposed an accelerated testing methodology (**ATM**) for predicting the life of CFRP from test data measured by short term testing under elevated temperatures based on the time-temperature superposition principle, which holds for the matrix resin viscoelasticity.

Our earlier report have proposed formulations of statistical static, creep, and fatigue strengths of CFRP based on matrix resin viscoelasticity.

### Objective:

The flexural static strength in the longitudinal direction of unidirectional CFRP laminates under Dry, Wet, and Wet + Dry conditions are evaluated by our developed **ATM**.

### Approach:

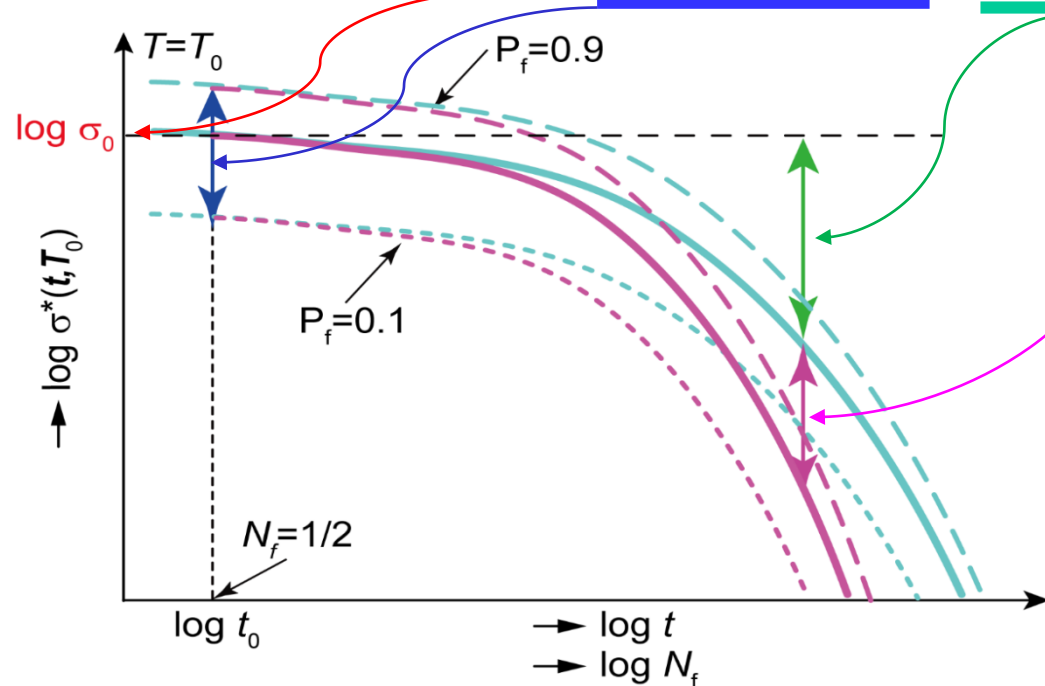
**First:** CFRP specimens of three kinds, Dry, Wet and Wet + Dry are prepared by water absorption and re-drying after water absorption.

**Second:** The flexural static strength of CFRP and viscoelastic modulus of matrix resin are measured at several temperatures using three kinds of CFRP specimen and then the parameters in our **ATM** formulae are determined.

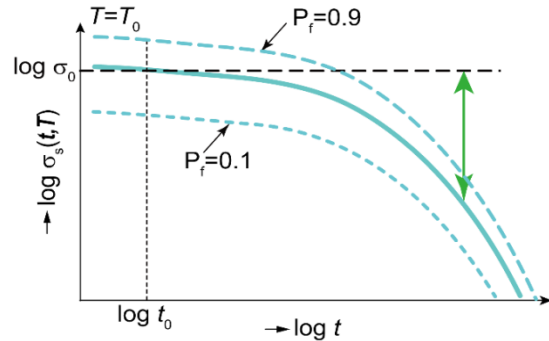
**Third:** The master curve of flexural static strength of CFRP under three kinds of conditions are expressed by using these parameters. The effect of water absorption on the static strength of CFRP is discussed.

The CFRP strength for an arbitrary load direction and type is defined by the following formulation based on Christensen's viscoelastic crack kinetics.

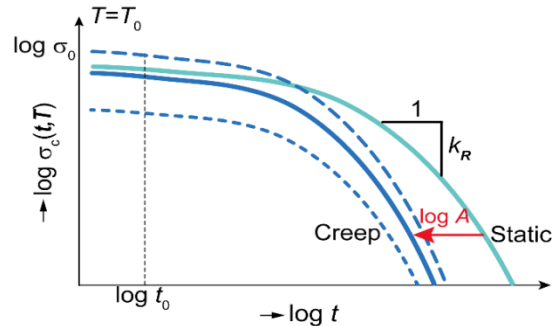
$$\log \sigma^* = \log \sigma_0(t_0, T_0) + \frac{1}{\alpha} \log[-\ln(1 - P_f)] + n_R \log \left[ \frac{E^*(t, T)}{E^*(t_0, T_0)} \right] + \log F_f(f, T, N_f)$$



- $t$ : Failure time
- $t_0$ : Reference time
- $T$ : Temperature
- $T_0$ : Reference temperature
- $P_f$ : Failure probability
- $f$ : Frequency
- $N_f$ : Number of cycles to failure
- $\sigma_0$  and  $\alpha$ : Scale and shape parameters of static strength at  $t_0$  and  $T_0$
- $n_R$ : Viscoelastic parameter determined by failure mode
- $E^*$ : Viscoelastic modulus of matrix resin
- $F_f$ : Fatigue degradation parameter



↓ Shifting log A



Static strength  $\sigma_s$ :

$$\log \sigma_s(t, T) = \log \sigma_0(t_0, T_0) + \frac{1}{\alpha} \log[-\ln(1 - P_f)] + n_R \log \left[ \frac{E_s(t, T)}{E_s(t_0, T_0)} \right]$$

$$E_s(t, T) = E_r(t/2, T)$$

Creep strength  $\sigma_c$ :

$$\log \sigma_c(t, T) = \log \sigma_0(t_0, T_0) + \frac{1}{\alpha} \log[-\ln(1 - P_f)] + n_R \log \left[ \frac{E_c(t, T)}{E_c(t_0, T_0)} \right]$$

$$E_c(t, T) = E_s(At, T) = E_r(At/2, T)$$

$$\log E_c(t, T_0) = \log E_r(A_1 t_0/2, T_0) - \log \left[ \left( \frac{A_1 t}{2t_0} \right)^{m_1} + \left( \frac{A_2 t}{2t_0} \right)^{m_2} \right]$$

Case of tension load to unidirectional CFRP (Rosen's model):

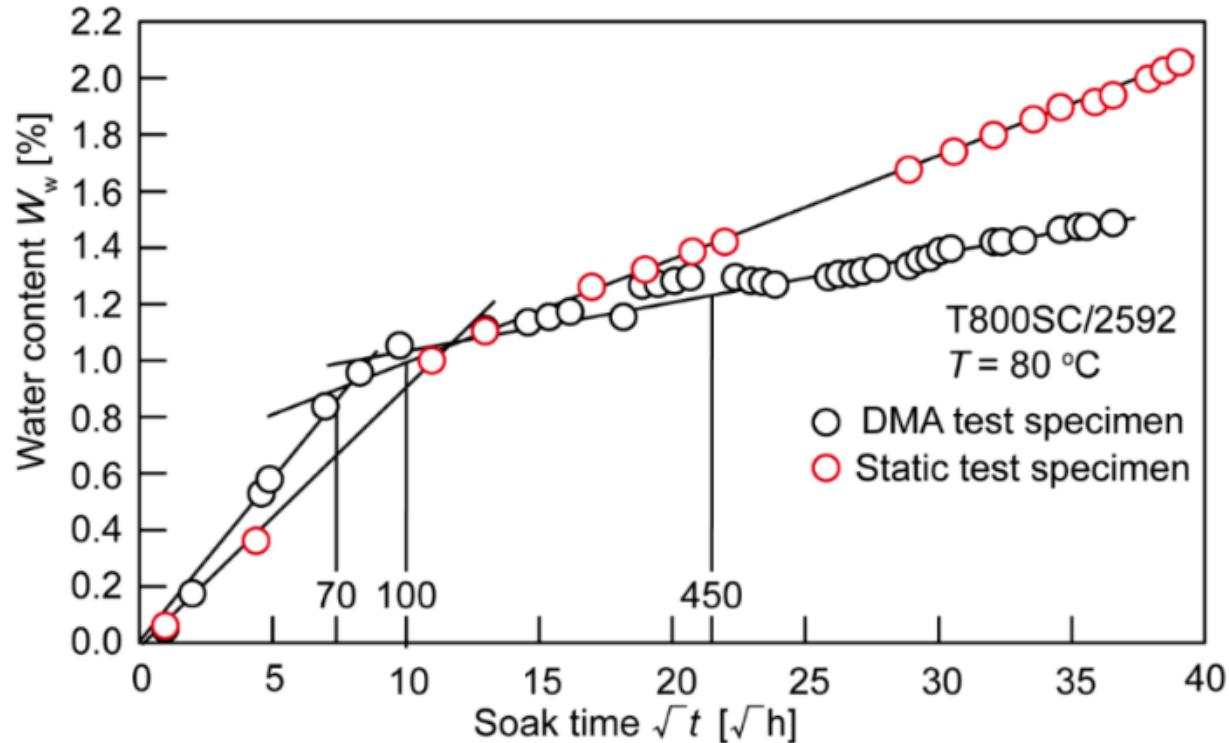
$$\log A_i = \log(1 + 1/k_{Ri}), \quad k_{Ri} = m_i \times n_R, \quad i = 1, 2$$

Case of compression load to unidirectional CFRP (Micro-buckling):

$$\log A = \log 2$$

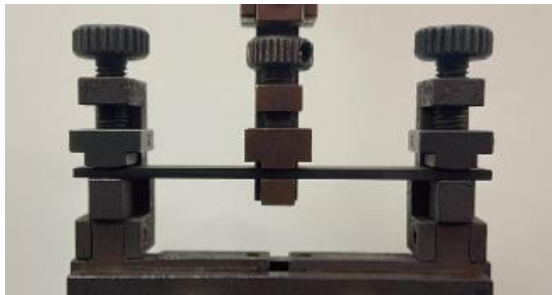
All parameters in the formulations of static and creep strengths of CFRP can be determined through the static tests at a constant strain rate and various temperatures for CFRP and the viscoelastic tests for matrix resin. The creep tests are not necessary for getting these parameters.

Fiber/Resin of prepreg (Torayca prepreg)	T800SC/2592
Thickness of prepreg	0.125 mm
Stacking sequence	[0 <sub>8</sub> ]
Laminate thickness	2.0 mm
Plate size	200 mm × 200 mm
Curing method	Autoclave
Curing temperature	130 °C
Curing pressure	0.3 MPa
Curing time	2 hours

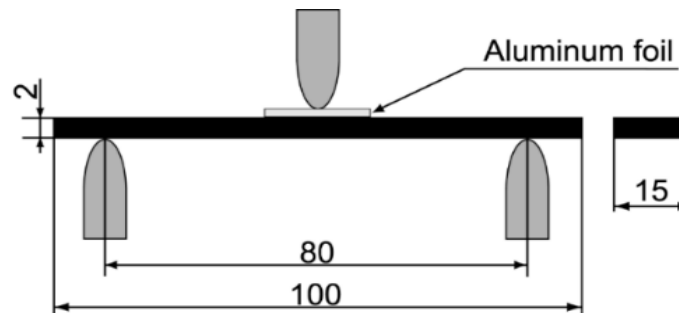


The water content increases with increasing soak time. The relationship between water content and square root of soak time is almost linear until 100 hours under  $T = 80\text{ }^{\circ}\text{C}$ . We selected 70 hours, 100 hours and 450 hours as the soak time conditions.

## Viscoelastic tests (DMA) for matrix resin



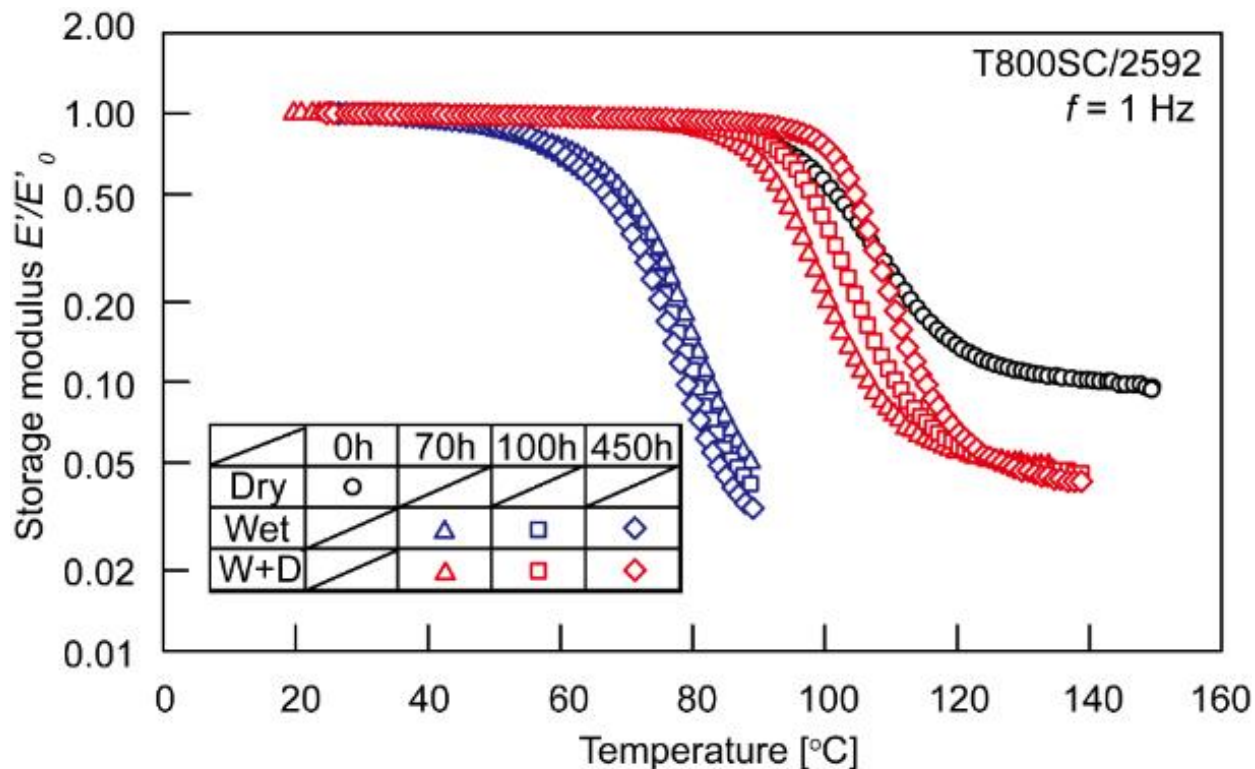
## Static strength tests for CFRP laminates



		Viscoelastic test		Static strength tests	
		Frequency [Hz]	Temperature [°C]	Deflection rate [mm/min]	Temperature [°C]
Dry		0.01 - 10	25 - 120	2	25 - 120
Wet	80 °C × 70 h		25 - 80		25 - 70
	80 °C × 100 h				
	80 °C × 450 h				
Wet + Dry	80 °C × 70 h		25 - 120		25 -100
	80 °C × 100 h				
	80 °C × 450 h				

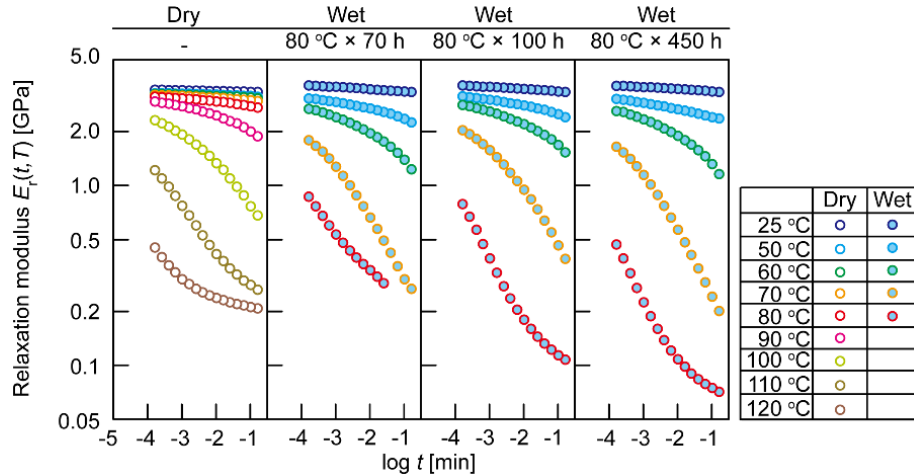


# Storage modulus in the transverse direction of unidirectional CFRP laminates under Dry, Wet, and Wet + Dry conditions

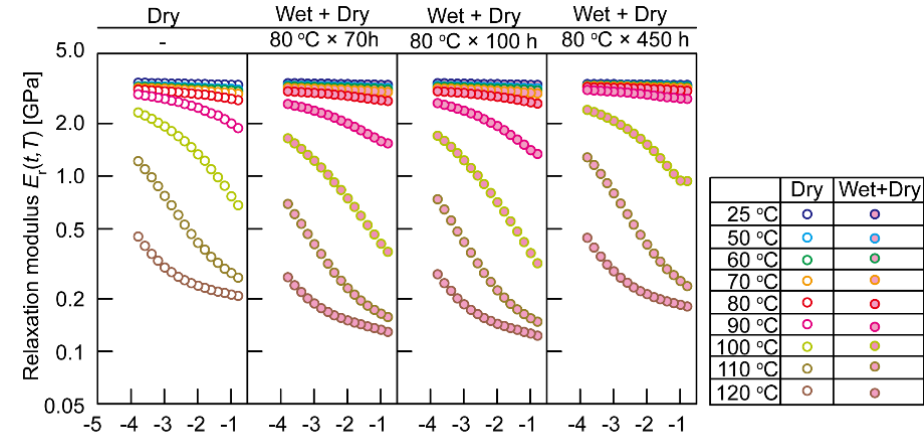


The temperature at which the storage modulus drops sharply decreases with water absorption, but it returns to the original value after re-drying.

# Relaxation modulus of matrix resin under Dry, Wet, and Wet + Dry conditions



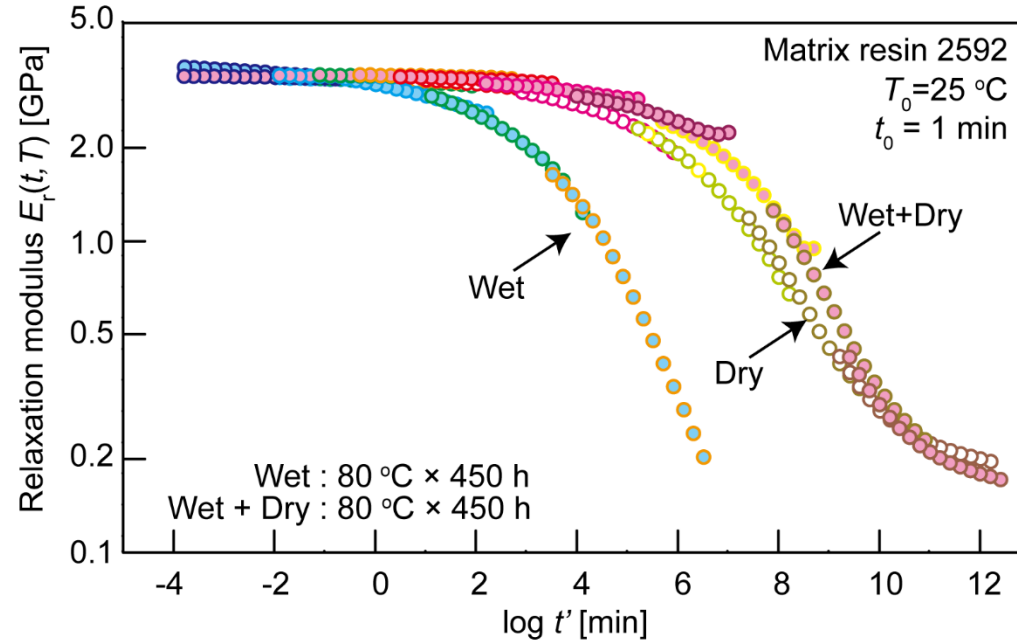
Dry and Wet conditions



Dry and Wet + Dry conditions

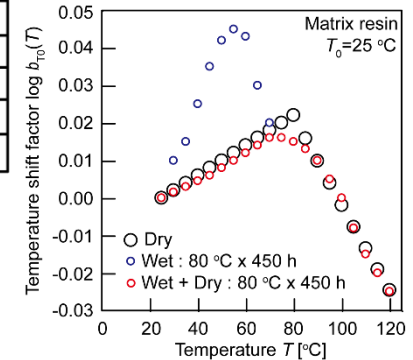
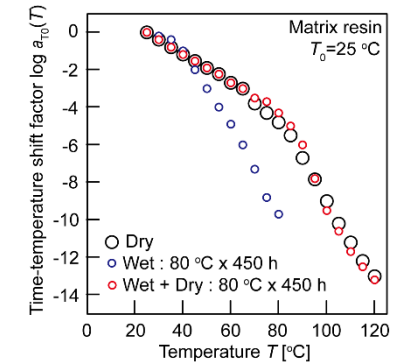
The relaxation modulus of matrix resin can be obtained from storage modulus in the transverse direction of unidirectional CFRP laminates based on the linear viscoelasticity and Chamis' rule of mixture.

# Master curves of relaxation modulus of matrix resin under Dry, Wet, and Wet + Dry conditions



Master curves of relaxation modulus

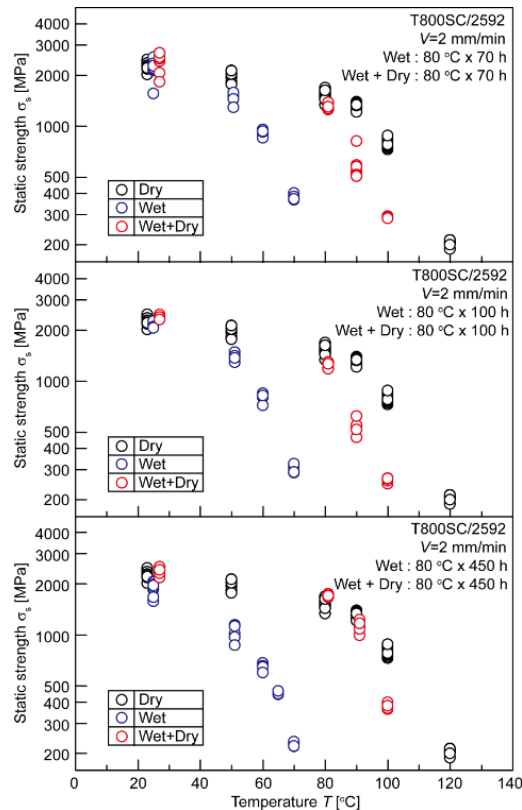
	Dry	Wet	Wet+Dry
25 °C	○	●	●
50 °C	○	●	●
60 °C	○	●	●
70 °C	○	●	●
80 °C	○		●
90 °C	○		●
100 °C	○		●
110 °C	○		●
120 °C	○		●



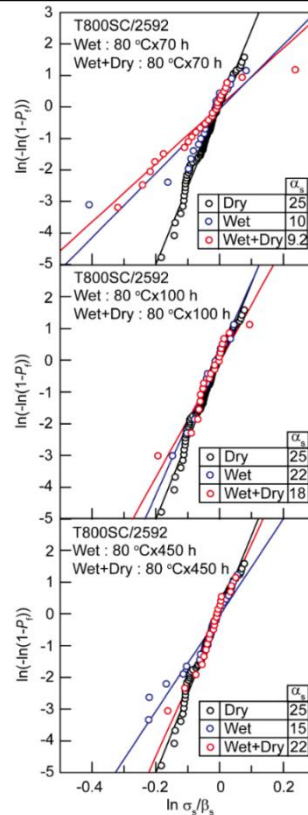
Shift factors

The time-temperature superposition principle holds for relaxation modulus of matrix resin under Dry, Wet, and Wet + Dry conditions, respectively.

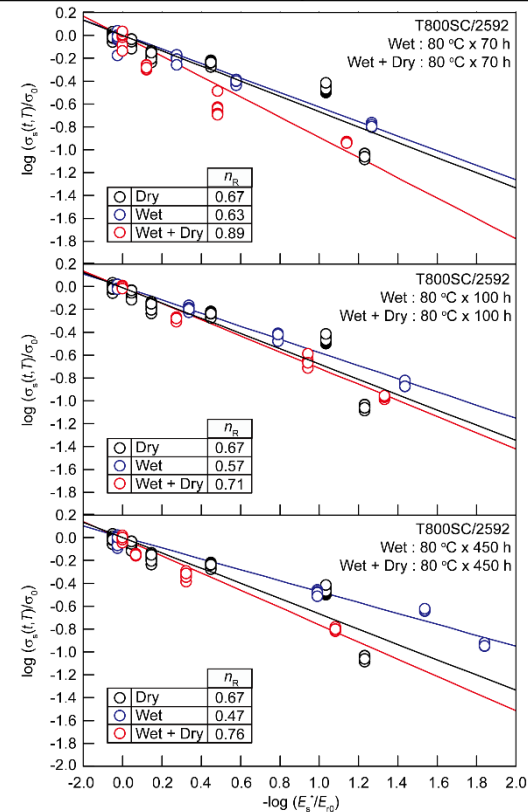
# Determination of parameters in ATM formulae



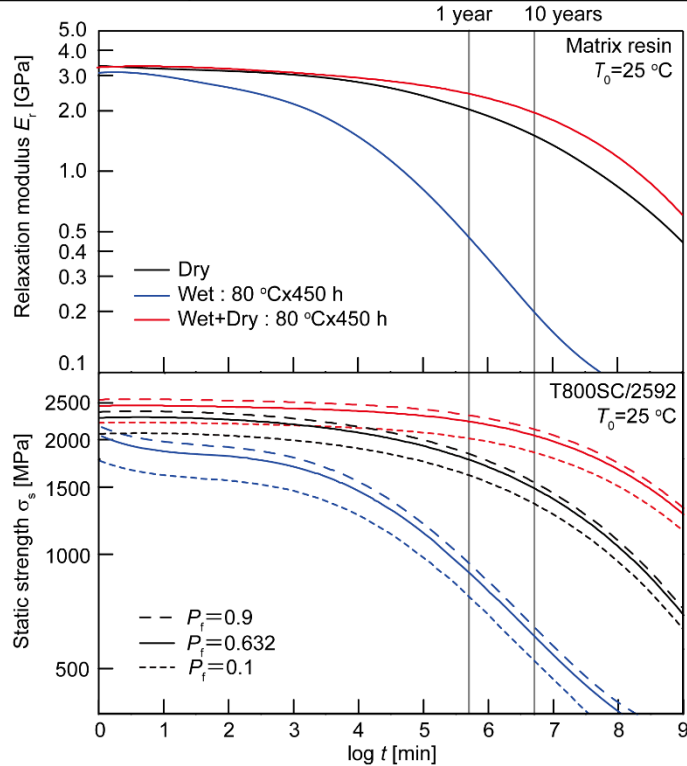
## Determination of scale and shape parameters



## Determination of viscoelastic parameter



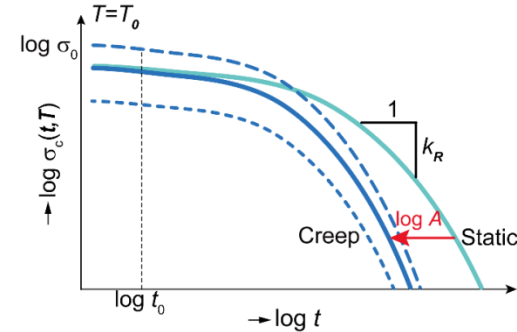
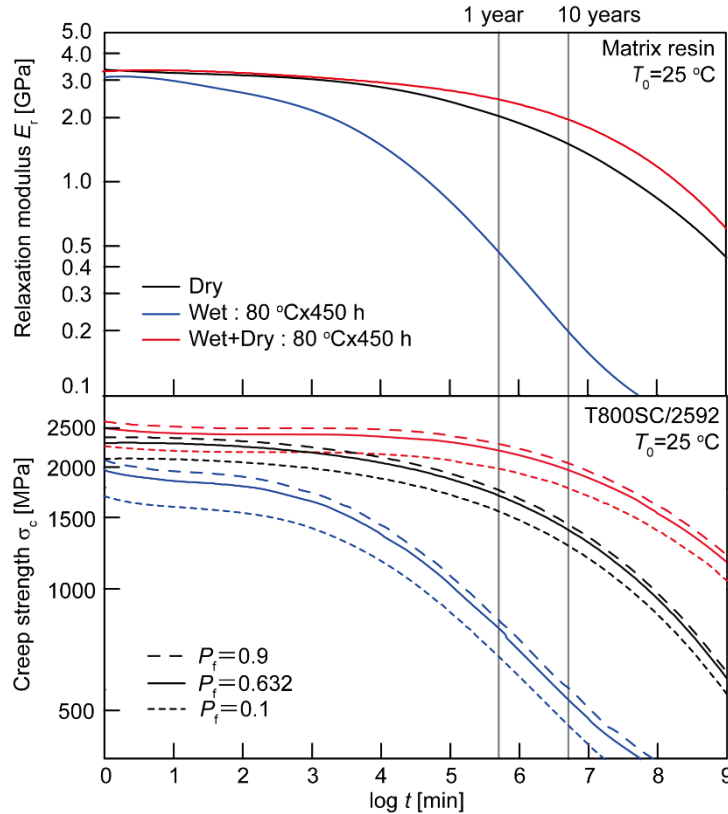
The scale and shape parameters of static strength and viscoelastic parameter can be determined under Dry, Wet, and Wet + Dry conditions, respectively.



$$\log \sigma_s(t, T) = \log \sigma_0(t_0, T_0) + \frac{1}{\alpha} \log[-\ln(1 - P_f)] + n_R \log \left[ \frac{E_s(t, T)}{E_s(t_0, T_0)} \right]$$

		$\sigma_0$ [MPa]	$\alpha$	$n_R$
Dry		2,300	25	0.67
Wet	80 °C × 70 h	2,340	10	0.63
	80 °C × 100 h	2,180	22	0.57
	80 °C × 450 h	1,960	15	0.47
Wet + Dry	80 °C × 70 h	2,510	8.2	0.89
	80 °C × 100 h	2,420	18	0.71
	80 °C × 450 h	2,420	22	0.76

The flexural static strength of CFRP decreases drastically with increasing time with similar behavior of the relaxation modulus of matrix resin. The static strength degradation of CFRP with increased elapsed time is accelerated with water absorption. It returns to the original state or is further suppressed with re-drying.



$$\log \sigma_s(t, T) = \log \sigma_0(t_0, T_0) + \frac{1}{\alpha} \log [-\ln(1 - P_f)] + n_R \log \left[ \frac{E_s(t, T)}{E_s(t_0, T_0)} \right]$$

$$E_s(t, T) = E_r(t/2, T)$$



Case of compression load:  $\log A = \log 2$

$$\log \sigma_c(t, T) = \log \sigma_0(t_0, T_0) + \frac{1}{\alpha} \log [-\ln(1 - P_f)] + n_R \log \left[ \frac{E_c(t, T)}{E_c(t_0, T_0)} \right]$$

$$E_c(t, T) = E_s(At, T) = E_r(At/2, T)$$

The long-term flexural creep strength of CFRP can be predicted by shifting flexural static strength along with the log-scale of failure time based on our ATM.

The flexural static strength in the longitudinal direction of unidirectional CFRP laminates under Dry, Wet, and Wet + Dry conditions were evaluated by our developed **ATM**.

The parameters in our **ATM** formulae, the scale and shape parameters of static strength and the viscoelastic parameter could be determined. The flexural static strength of CFRP laminates under Dry, Wet, and Wet + Dry conditions can be expressed by using these parameters and relaxation modulus of matrix resin.

The creep strength of CFRP laminates can be predicted by shifting the static strength along with log-scale of failure time by our **ATM**.

*Thank you for your kind attention !*

### Acknowledgments

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